

15. International Arbitrage

- Arbitrage can be defined as capitalizing on a discrepancy in quoted prices to make a risk free profit.
- The effect of arbitrage on demand and supply is to cause prices to realign, such that risk-free profit is no longer feasible.
- International Arbitragers play a critical role in facilitating exchange rate equilibrium. They try to earn a risk-free profit whenever there is exchange rate disequilibrium.
- As applied to foreign exchange and international money markets, international arbitrage (i.e., taking risk-free positions by buying and selling currencies simultaneously) takes three major forms:
 - Locational arbitrage
 - Triangular arbitrage
 - Covered interest arbitrage

Locational Arbitrage

- Locational arbitragers try to offset spot bid-ask exchange rate disequilibrium
- Locational arbitrage is possible when a bank's buying price (bid price) is higher than another bank's selling price (ask price) for the same currency.

Example:

Bank C	Bid	Ask	Bank D	Bid	Ask	
NZ\$	\$.635	\$.640	NZ\$	\$.645	\$.650	

Buy NZ\$ from Bank C @ \$.640, and sell it to Bank D @ \$.645. Profit = \$.005/NZ\$.

Triangular Arbitrage

- Triangular arbitragers try to offset cross-rate disequilibrium
- Triangular arbitrage is possible when a cross exchange rate (exchange rate between two foreign currencies) quoted by a bank differs from the rate calculated from dollar-based spot rate quotes.

Example	Bid	Ask
Bank A: British pound (£)	\$1.60	\$1.61
Bank B: Malaysian ringgit (MYR)	\$.200	\$.201
C: British pound (£)	MYR8.10	MYR8.20
Calculated cross rate (AB) £	MYR8.00	MYR8.01

Conducting Triangular Arbitrage

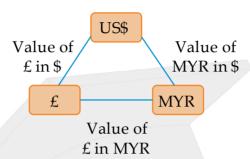
- Cross rates (£/MYR) are in disequilibrium and there is room for risk-free profit if the American arbitrager had access to £
- Challenges: US arbitragers do not (1) have £, and (2) calculated cross rates are not quoted by banks
- Example: Let's assume that the US arbitrager has \$10,000 to invest in deal and let's see how much profit could be made.



Profit from Triangular Arbitrage

- Sell \$10,000 and buy £ from Bank A = $$10,000 \div 1.61 = £6,211$
- Sell £6,211 to buy MYR at Bank $C = £6,211 \times 8.10 = MYR50,309$
- Sell MYR50,309 to buy \$ at Bank B MYR50,309 × 0.20 = \$10,062
- Triangular arbitrage profit = \$10,062 \$10,000 = \$62 or $($62/$10,000) \times 100 = 0.62\%$

Triangular Arbitrage



When the actual and calculated cross exchange rates differ, triangular arbitrage will force them back into equilibrium.

Covered Interest Arbitrage

- Covered interest arbitrage is the process of capitalizing on the interest rate differential (on assets of similar risk and maturity) between two countries while covering for exchange rate risk.
- Covered interest arbitrage tends to force a relationship between forward rate premium or discount (difference between the forward and spot rate) and interest rate differentials.

Example

£ spot rate 90-day forward rate = \$1.60

U.S. 90-day interest rate 2%

U.K. 90-day interest rate 4%

Borrow \$ at 3%, or use existing funds which are earning interest at 2%. Convert \$ to £ at \$1.60/E and engage in a 90-day forward contract to sell £ at \$1.60/£. Lend £ at 4%

Note: Profits are not achieved instantaneously.

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